For rational input p/q, Euclid's algorithm and least common multiples replace an unbounded search over candidate periods. The bit-operation cost is polynomial in $\log q$; a direct search through $1, \ldots, q$ has q candidates. The usual rational-frequency criterion already achieves the efficient method. Irrationality is a mathematical input property, not something certifiable from a finite floating-point decimal.